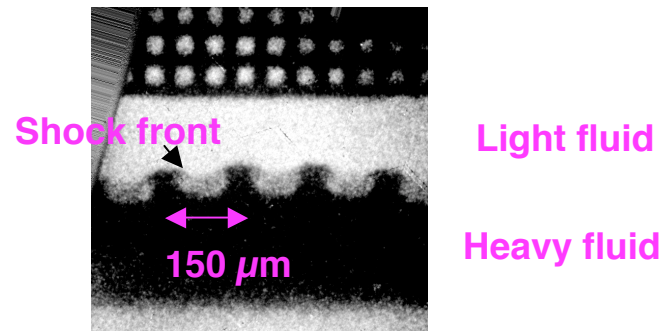

An experimental study of the effect of shock proximity on the Richtmyer-Meshkov instability at high Mach number



S. G. Glendinning, D.G.Braun ,
M.J.Edwards, W.W.Hsing, B.F.Lasinski,
H.Louis, A. Miles, J.Moreno, T.A.Peyser,
B.A.Remington, H.F.Robey, E.J.Turano,
C.P.Verdon, Y.Zhou

LLNL

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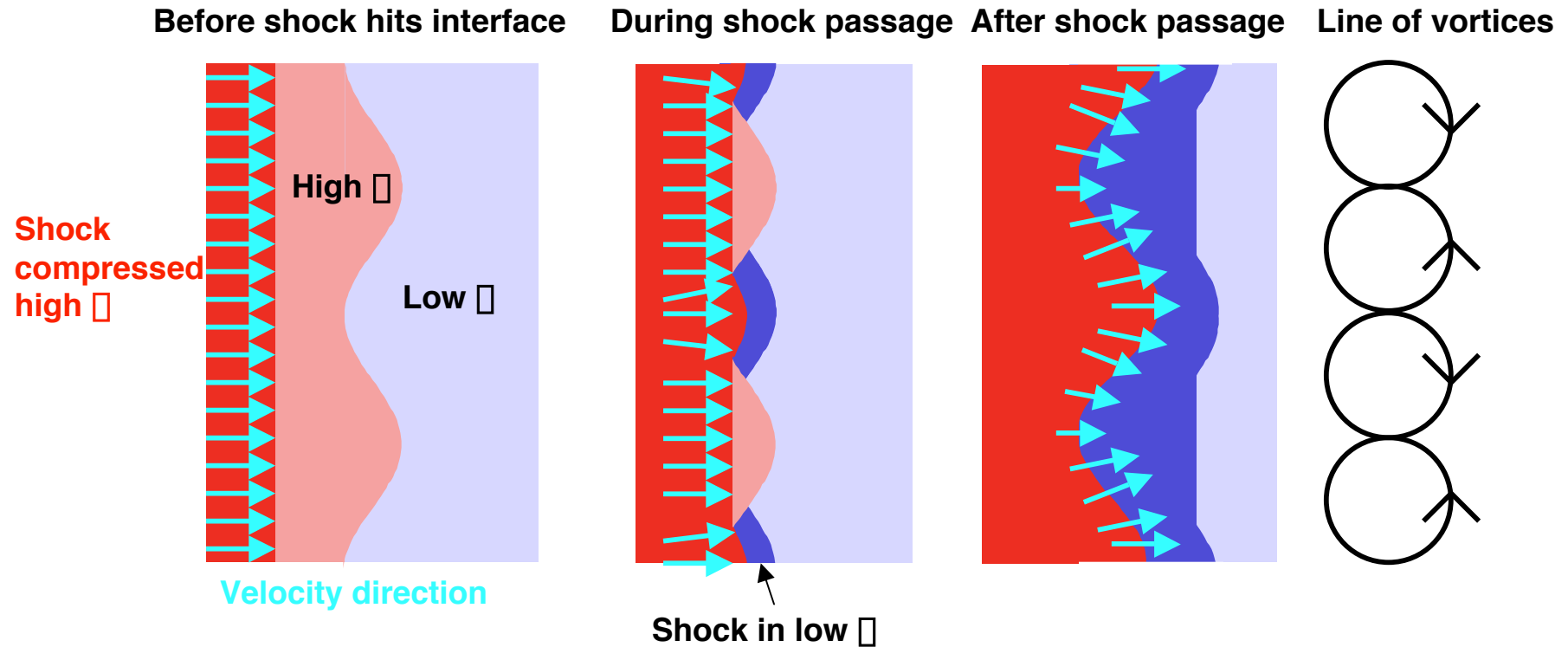
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Summary



- We have used the Omega laser to generate a nearly steady interface velocity for Richtmyer-Meshkov experiments
 - The interface is a heavy-to-light (12:1) density step
 - The incident shock Mach number is ~ 10
 - The shock velocity is only about 20% higher than the interface velocity
- An initially sinusoidal perturbation with $\lambda = 150 \mu\text{m}$, $\lambda_0 = 7 \mu\text{m}$ ($k\lambda_0 = 0.3$) grows according to incompressible models
- The growth of with $\lambda = 150 \mu\text{m}$, $\lambda_0 = 22 \mu\text{m}$ ($k\lambda_0 = 0.9$) is about half that predicted from incompressible models
 - The shock remains very close to the spike tips as the perturbation grows
 - An analytical model which accounts for the effect of the shock proximity predicts the reduced growth

The Richtmyer-Meshkov instability occurs at an interface impulsively accelerated by a shock



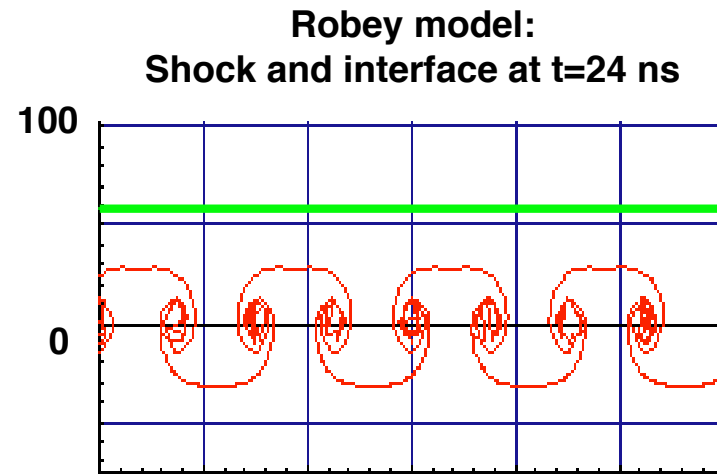
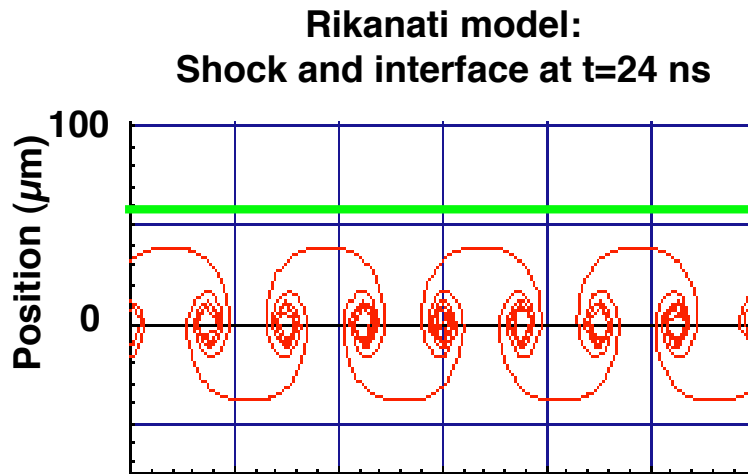
- The interface may be at a density decrease or increase in the propagation direction
 - These experiments are at a density decrease
- A perturbation at the interface creates a velocity perturbation (vorticity field)
- The perturbation grows linearly as $\delta(t) = k A \frac{\rho_0^* + \rho_0}{2} u_c t$ (Meyer and Blewett, 1972)

Laser experiments are important to understand effects of compressibility (high Mach number)



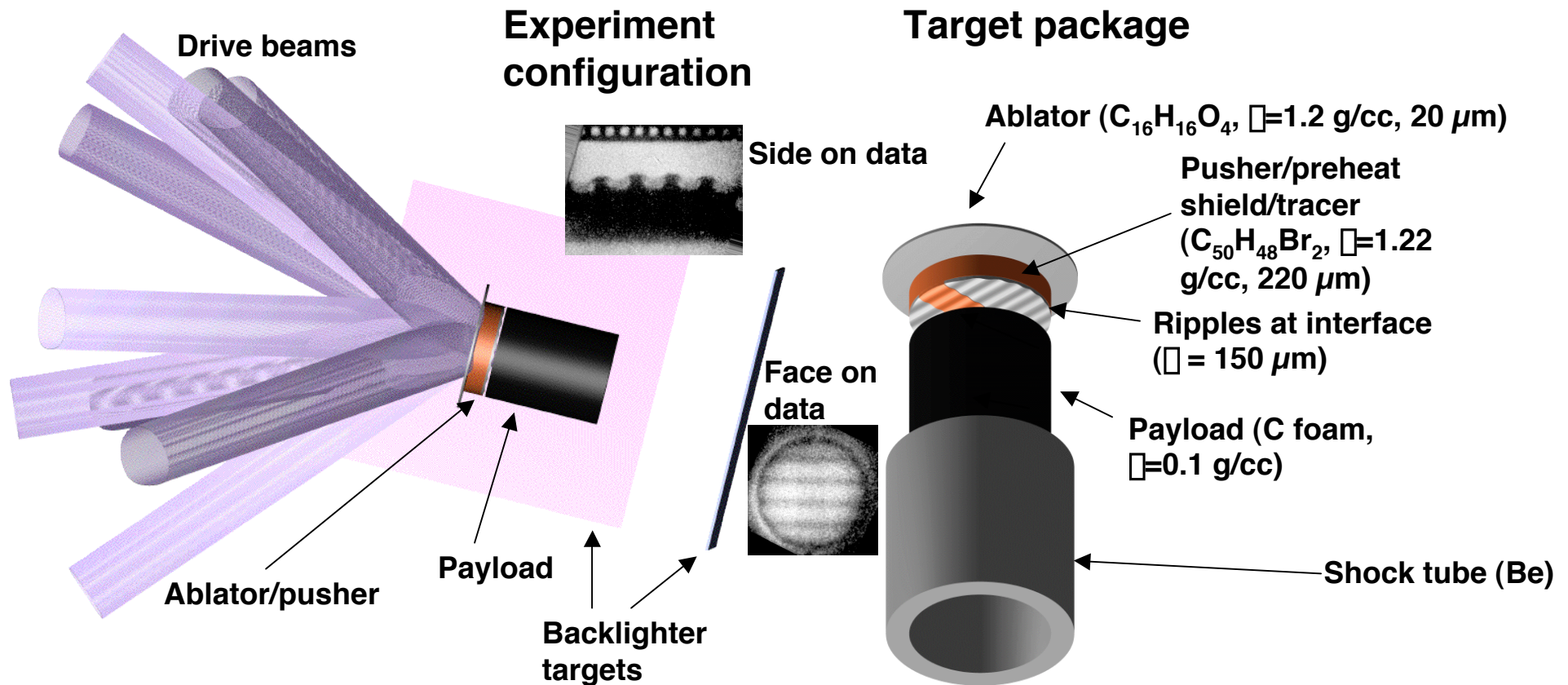
- Compressibility results in a shock front which remains close to the interface
 - $u_c \sim s_f$, where u_c is the interface speed and s_f is the receding shock speed
- Incompressible models (Meyer-Blewett, 1972; Sadot, 1998) predict that spike tip moves faster than shock
- Various models predict reduction in growth rate due to shock proximity:
 - Holmes et al., (1999) $\bar{\omega} = \bar{\omega}_M / [1 + \bar{\omega}_M / (s_f - u_c)]$, where $\bar{\omega}_M$ is $k u_c A^* (\bar{\omega}^* + \bar{\omega}_0) / 2$.
 - Hurricane et al., (2000) $\bar{\omega} = u_c (1 - u_c / s_f) \tanh[\bar{\omega}_M / u_c (1 - u_c / s_f)]$
- Laser experiments at Mach ~ 15 (Dimonte, 1996; Holmes, 1999; Farley 1999) may show large amplitude effects rather than compressibility effects (Bendor et al., 2001)
 - $k\bar{\omega}_0 = 2$ (Dimonte/Holmes), $k\bar{\omega}_0 \sim 2.7$ (Farley)
 - Rikanati et al. (2000) predicts $\bar{\omega} / \bar{\omega}_M$ at Mach 15 of ~ 0.9 for $k\bar{\omega}_0 = 0.9$, 0.65 for $k\bar{\omega}_0 = 2$
- On Omega we have investigated this with $k\bar{\omega}_0 = 0.9$, $u_c = 21.9 \mu\text{m/ns}$, $s_f = 26.1 \mu\text{m/ns}$

A model of vortex evolution (Rikanati, 1998) was proposed for low Atwood number RMI



- This model calculates growth rates from analytical solutions to vortex flow problem
- An extension of this model (Robey, 2001) constrains the shock front to be flat by introducing mirror image vortices
 - However, the shock front is not in reality flat
- Robey's is the only model which predicts an increase in growth rate after initially slow growth

This experiment uses an 11 ns laser drive to create a steady shock incident on a modulated interface

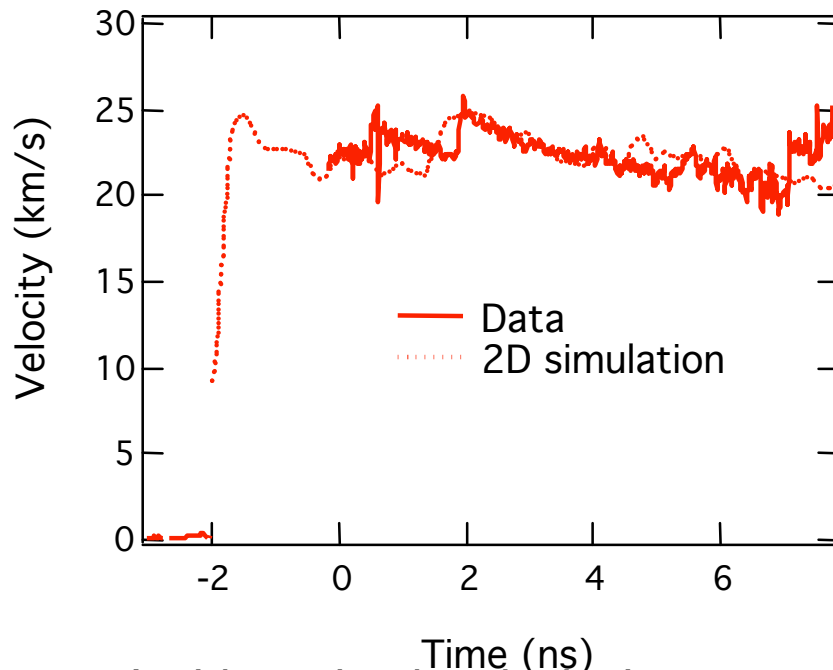


- Radiography is done on two axes, along target axis and perpendicular to modulations
- Target package is encased in a beryllium shock tube

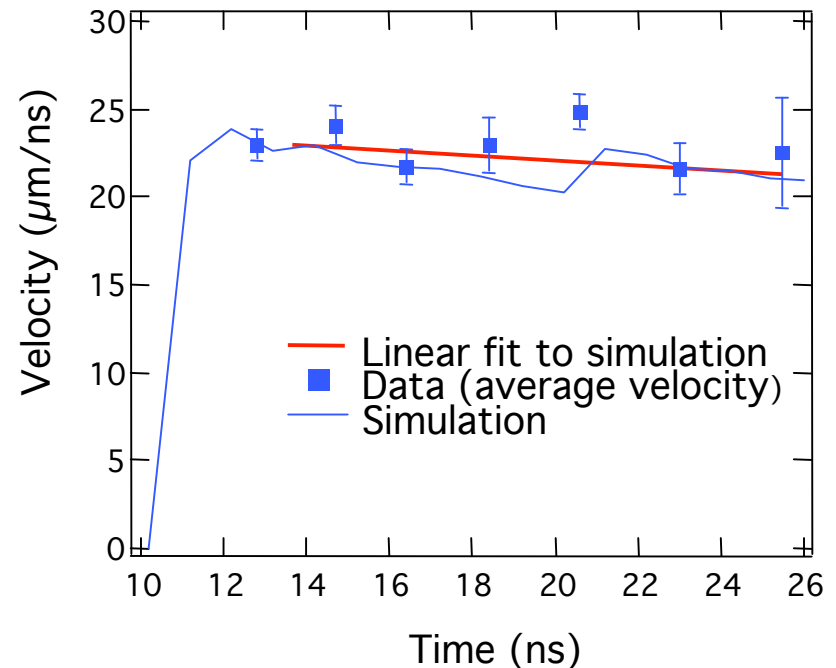
The incident shock and interface velocities are constant within $\pm 5\%$ RMS



Incident shock velocity (VISAR measurement)



Interface velocity (position measurement)

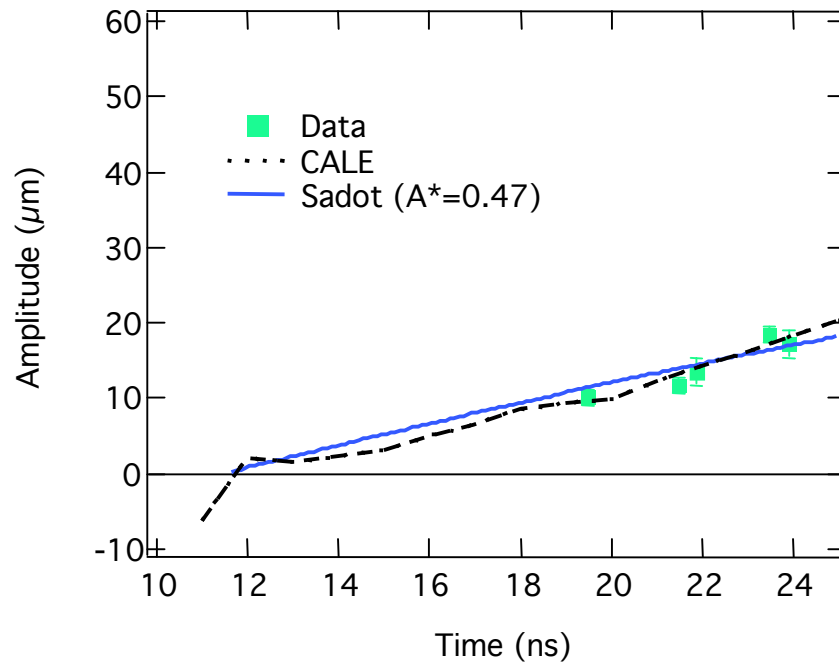


- Incident shock velocity is measured with payload removed using VISAR
 - Result $22.0 \pm 0.2 \mu\text{m/ns}$, $\pm 5\%$ (RMS) variations
- The shock is incident on a 12:1 density contrast
- The interface position is measured by side-on radiography
 - Average interface velocity $21.9 \pm 1.0 \mu\text{m/ns}$
 - Transmitted shock velocity $26.1 \pm 0.5 \mu\text{m/ns}$

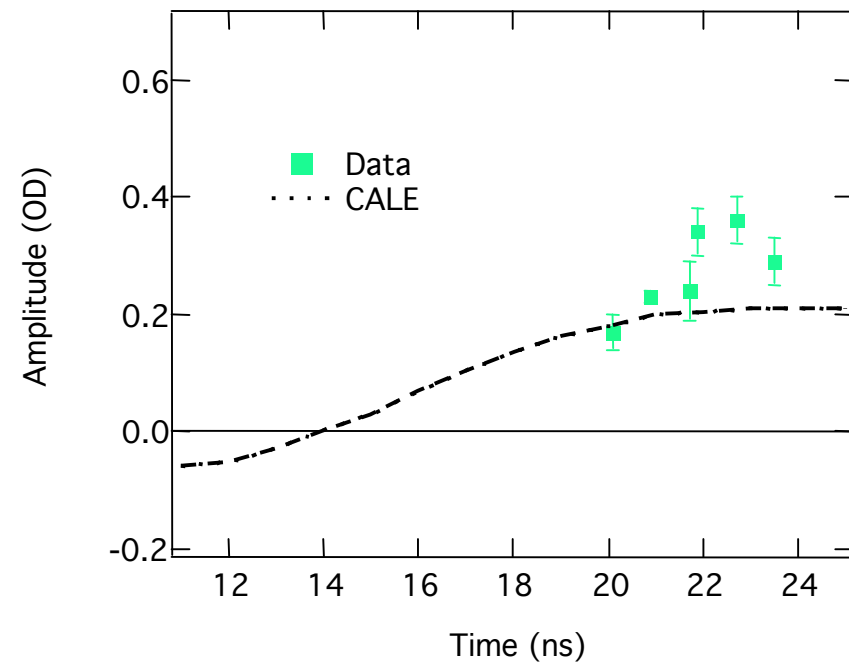
At low initial amplitude results show no effect of shock proximity and little nonlinearity



Side-on radiographs, $\lambda_0=7 \mu\text{m}$



Face-on radiographs, $\lambda_0=7 \mu\text{m}$

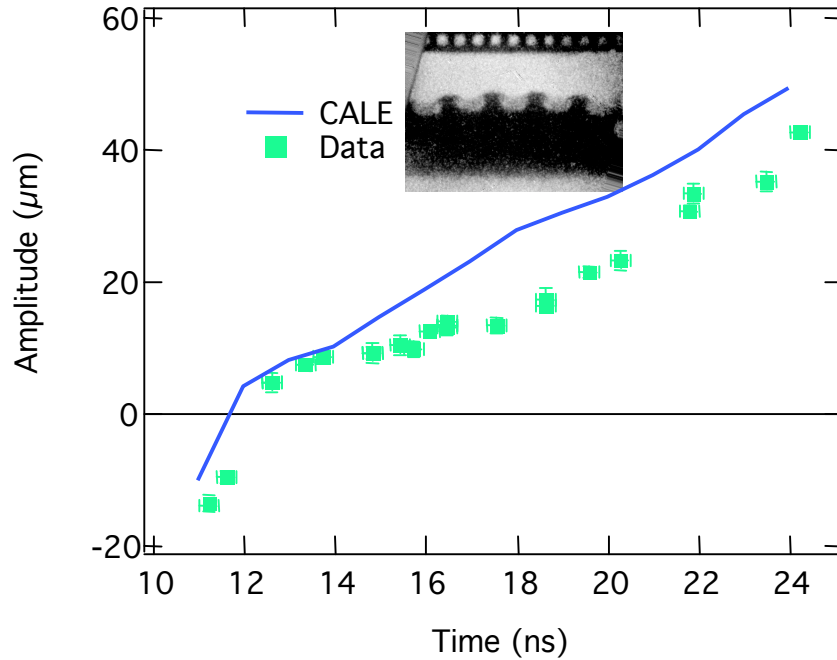


- The nonlinear, incompressible model of Sadot (1998) was used to describe the side-on data with an inferred post-shock Atwood number of 0.47
 - Atwood number of 0.47 agrees with one-dimensional simulations
- Linear growth rate λ is $1.5 \mu\text{m/ns}$
- CALE simulations agree with the data

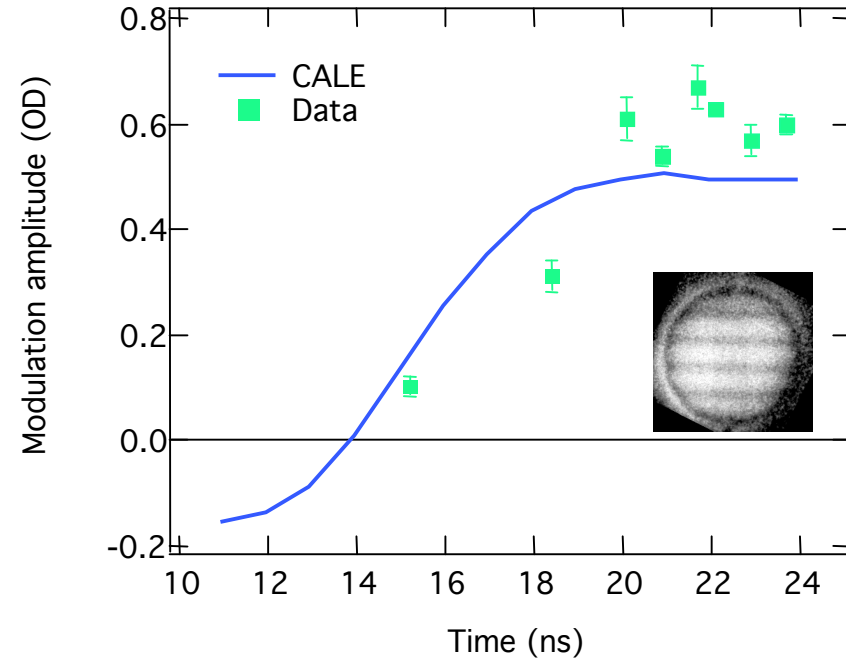
Larger initial amplitude results show reduced growth due to shock proximity



Side-on radiography results, $\lambda_0 = 22 \mu\text{m}$



Face-on radiography results, $\lambda_0 = 22 \mu\text{m}$

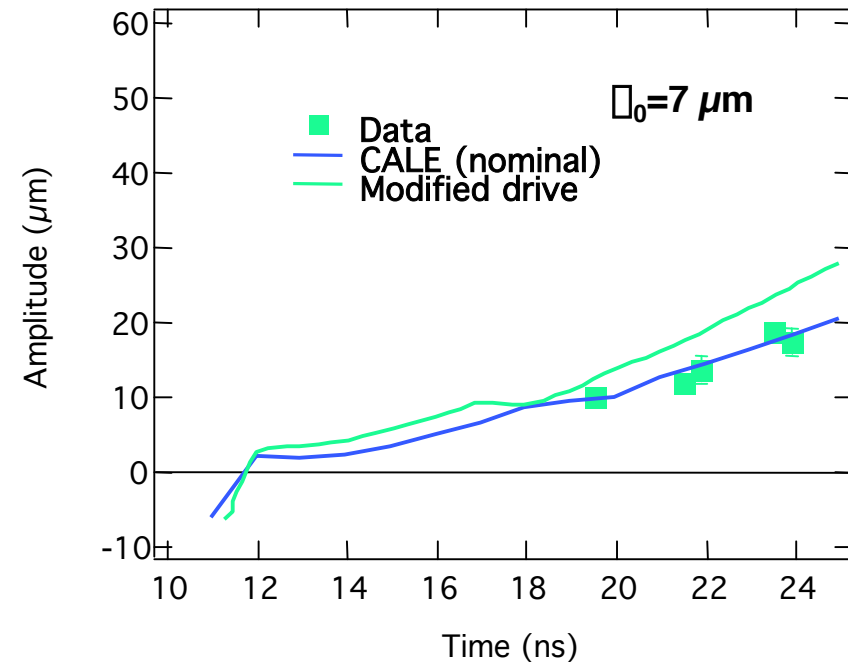
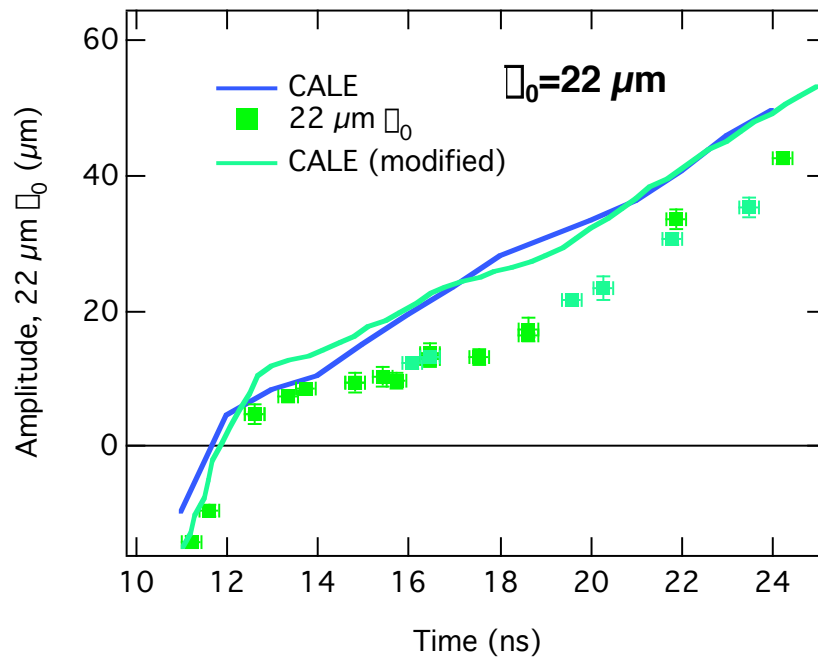


- Linear growth rate would be $4.8 \mu\text{m/ns}$
- The average λ is $2.4 \pm 0.1 \mu\text{m/ns}$
 - Before 18 ns λ is about $1.9 \pm 0.1 \mu\text{m/ns}$
- The CALE simulation gives a growth rate of $3.9 \mu\text{m/ns}$ before 18 ns, $3.7 \mu\text{m/ns}$ average 12-24 ns

We may constrain the CALE simulations to come closer to the modulation growth at $\lambda=150$, $\lambda_0=22$ by changing the drive



Growth at $\lambda=150 \mu\text{m}$ vs. time

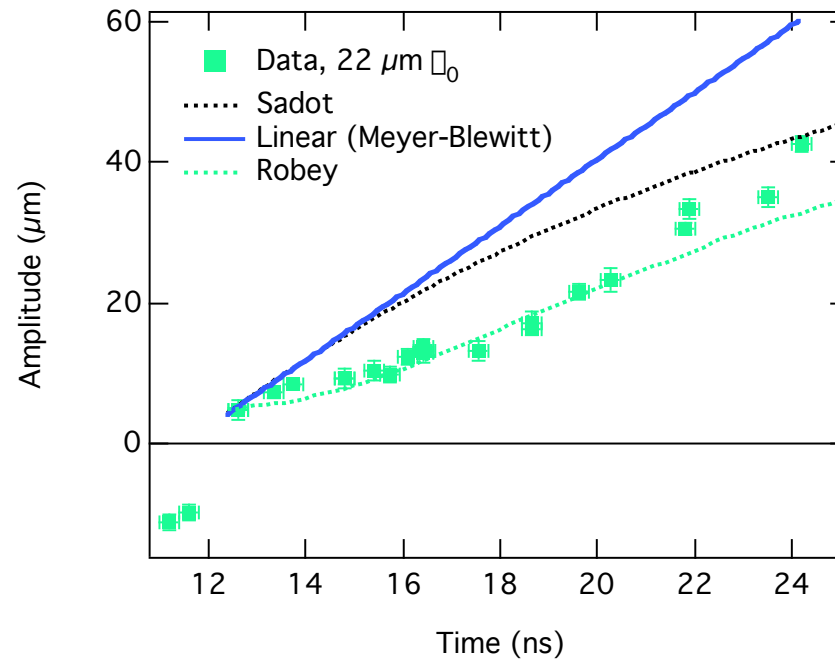


- The modified drive gives a growth rate at early time of $3.0 \mu\text{m/ns}$
- The modified drive does not predict the $\lambda=150 \mu\text{m}$, $\lambda_0=7 \mu\text{m}$ data
- We are currently investigating EOS issues
- The discrepancy between CALE and the data is currently not understood

The vortex model of Robey does predict growth very much like that seen

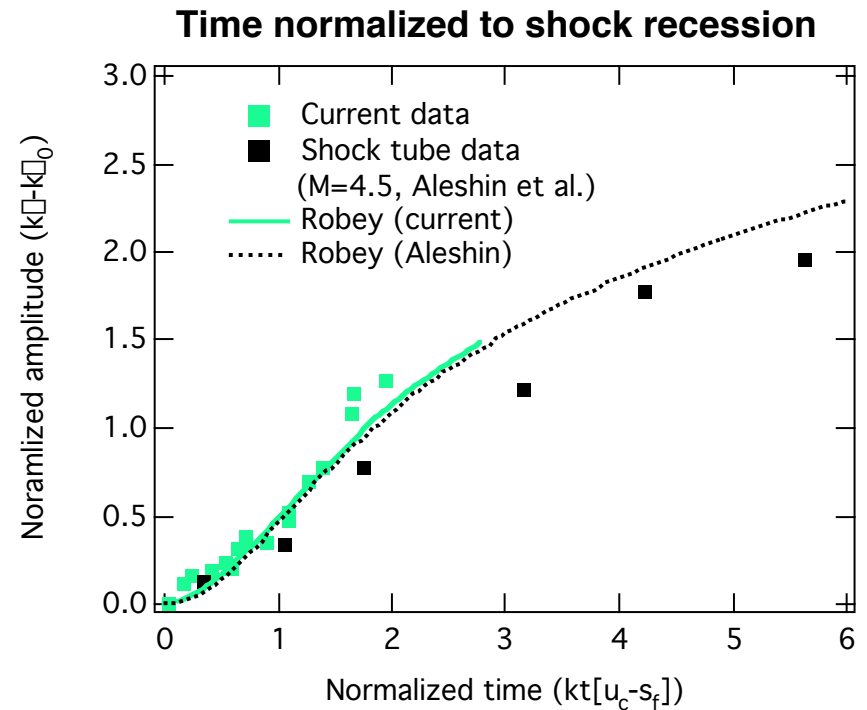
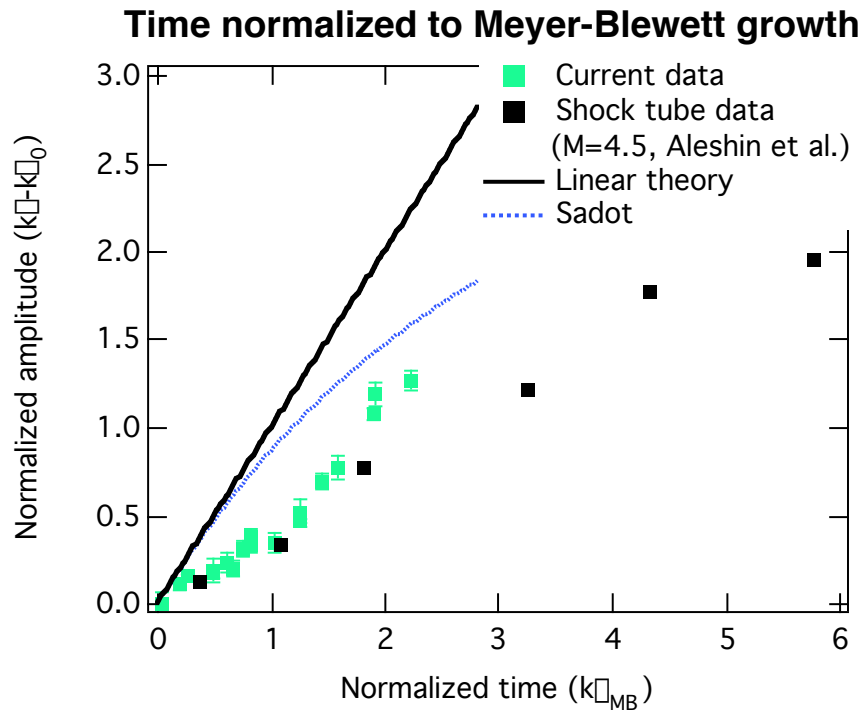


Side-on radiography results



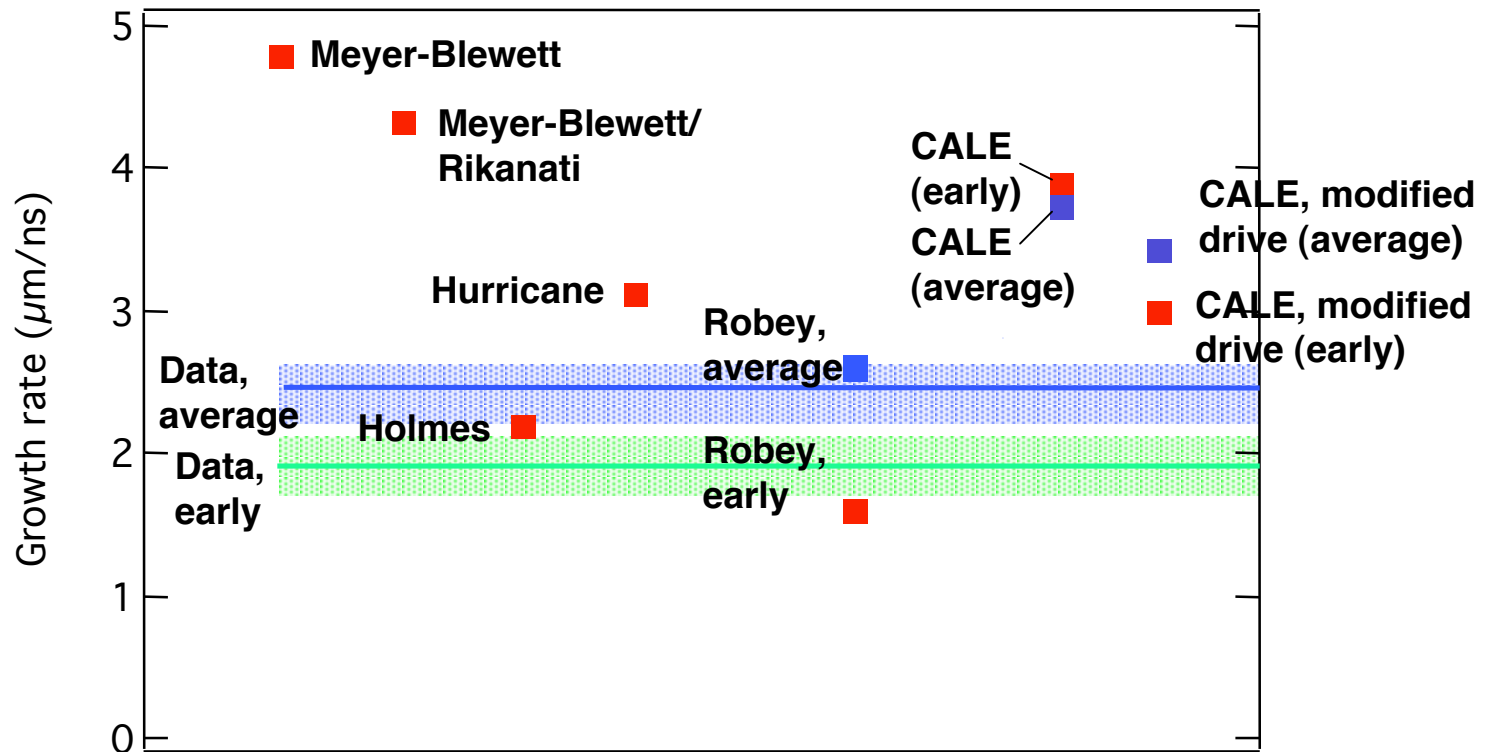
- The model predictions are offset to the first observed data point

The data may be compared with the shock tube data of Aleshin et al.



- One normalization is k vs. k_{IM} (Meyer-Blewett, shows nonlinearity)
- Another normalization is k vs $k^*(u_c - s_f)*t$ (shows shock proximity)

The initial growth rate is much lower than linear or large-initial-amplitude models predict



- Only the Robey model predicts an increase in velocity later in time (as the shock recedes)

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